

Micromagnetic simulations of spin-diode effect

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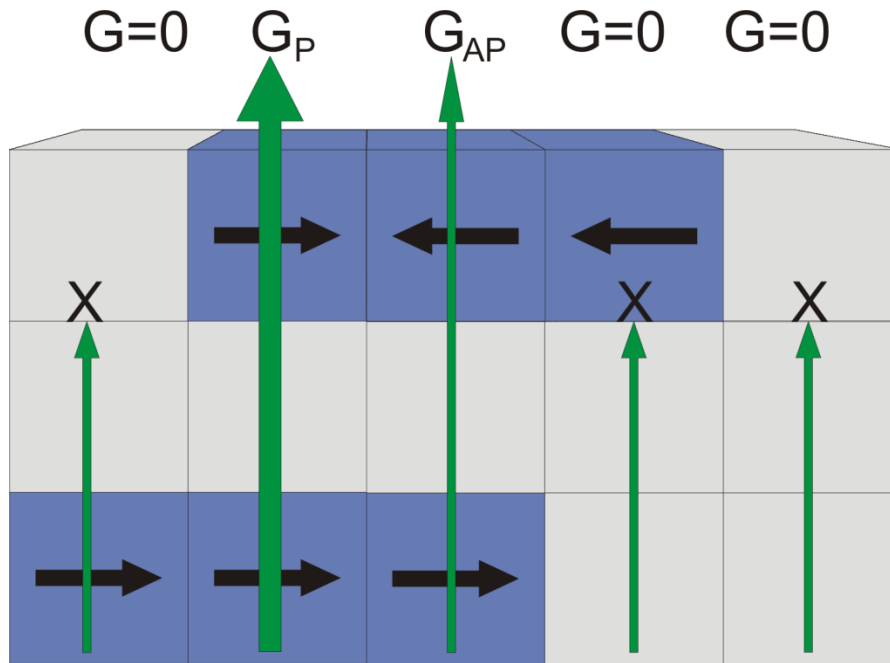
NANOSPIN PSPB-045/2010 Nanoscale spin torque devices for spin electronics

Summarizing MEETING, 11th - 12th July 2016

- Current flow model – resistance calculations
- Localized magnetization probing
- Spin-diode effect
- Voltage-induced dynamics
- Calculations of lineshape
 - Voltage-induced
 - Current-induced (STT)
 - Field-induced

Current flow model

Channels connected in parallel



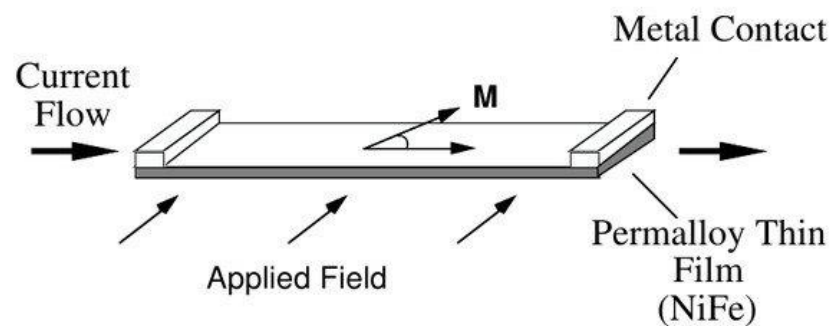
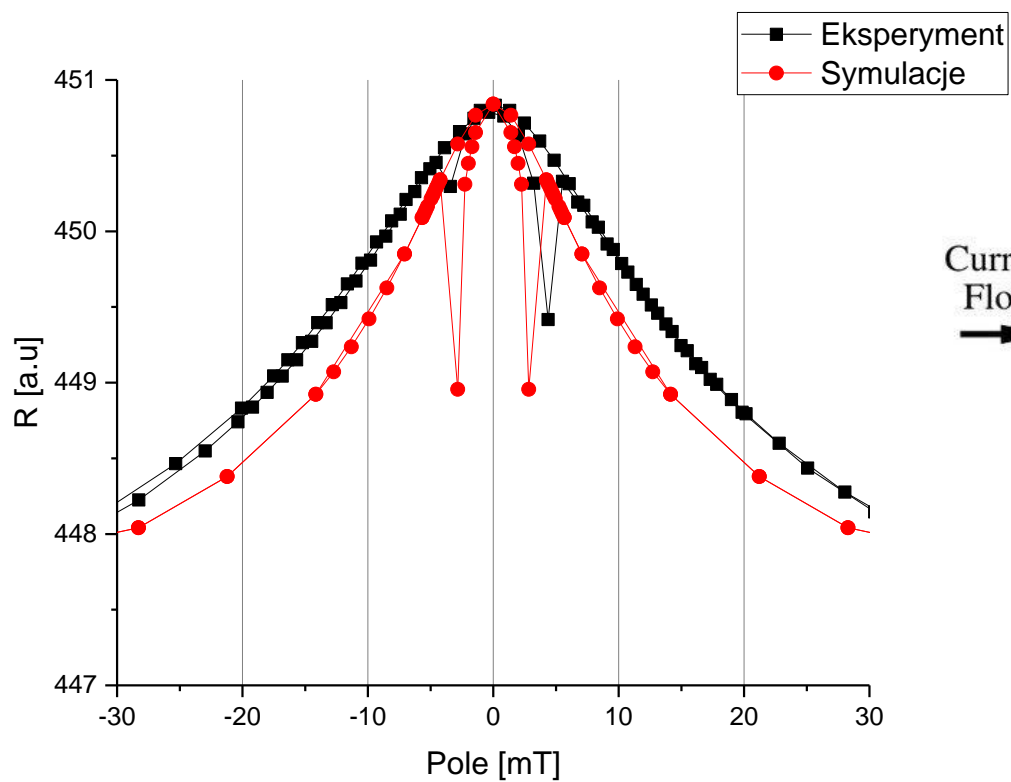
resistance given by formula:

$$R = R_P + \frac{R_{AP} - R_P}{2} (1 - \cos\theta)$$

$$\theta = 0 \rightarrow R_P$$

$$\theta = 180^\circ \rightarrow R_{AP}$$

AMR

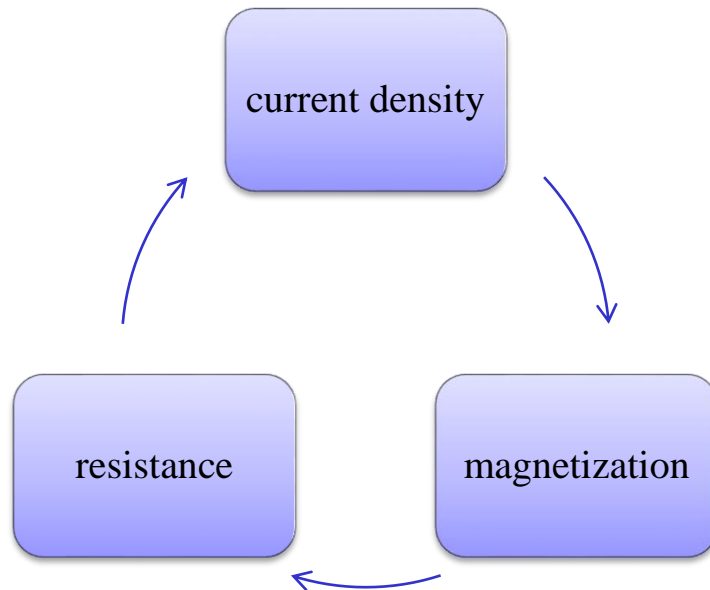


Spin-Transfer-Torque

LLG equation with Slonczewski's component

$$\frac{d\vec{m}}{dt} = -\gamma_0 \vec{m} \times \vec{H}_{eff} + \alpha \vec{m} \times \frac{\partial \vec{m}}{\partial t} + \gamma_0 a_J \vec{m} \times (\vec{m} \times \vec{p}) + \gamma_0 b_J \vec{m} \times \vec{p}$$

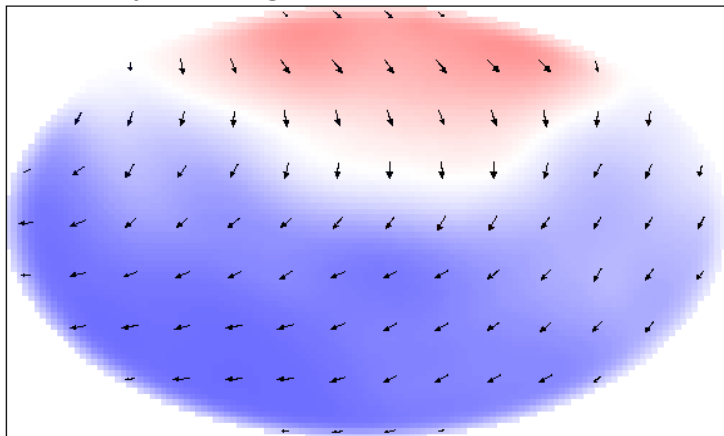
↑
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 precession damping in-plane torque perpendicular torque



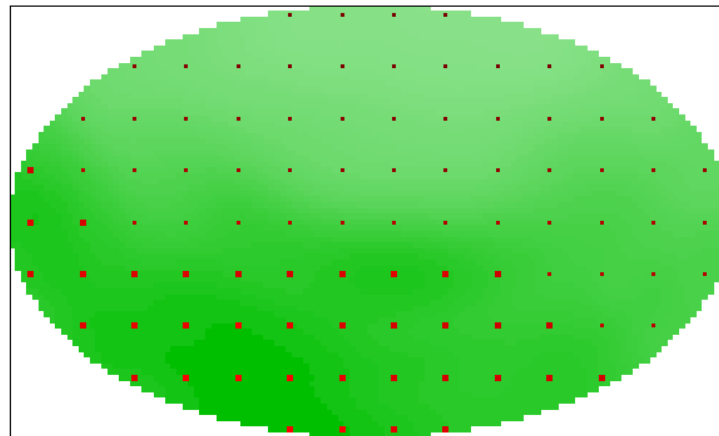
current-resistance feedback
due to STT and magnetoresistance

Simulation outputs

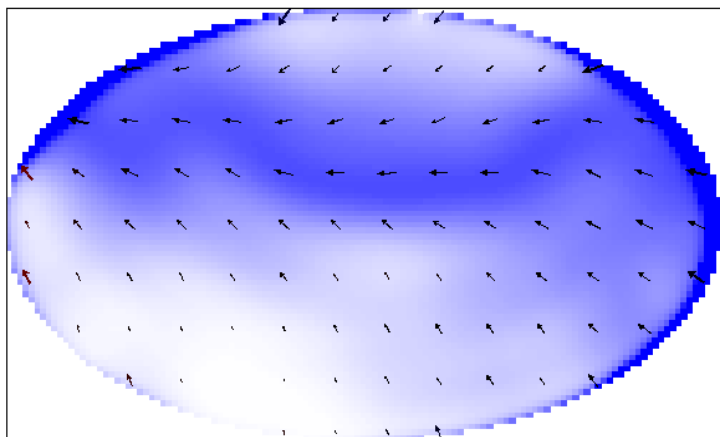
free layer magnetization distribution



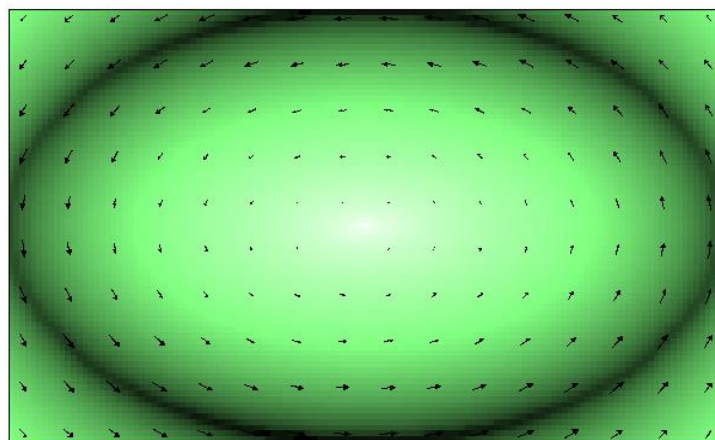
current density distribution



in-plane torque in free layer distribution

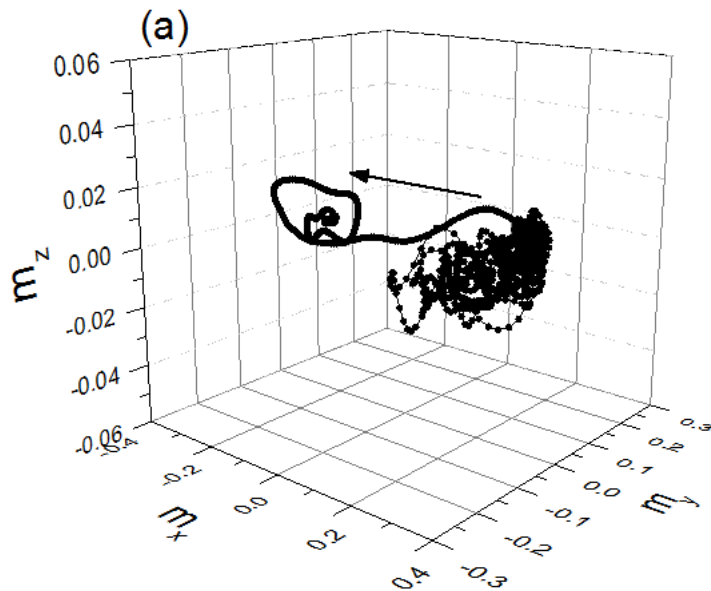


Oersted field distribution

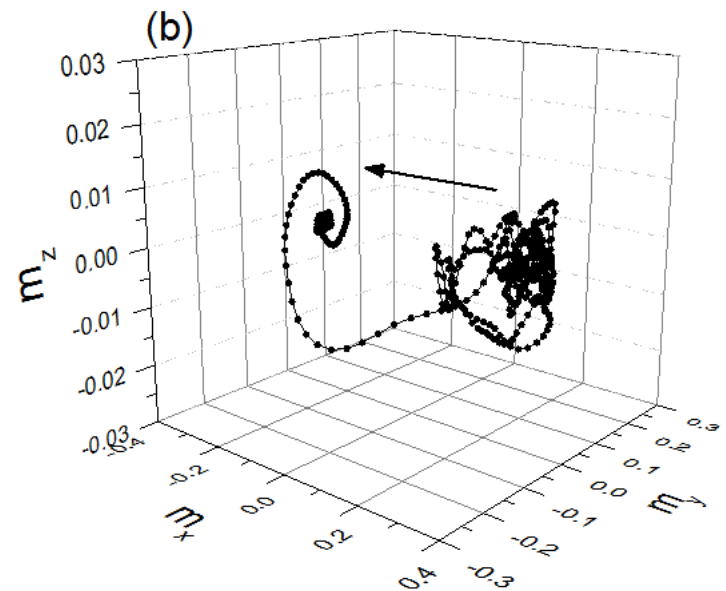


Difference in dynamics

magnetization trajectories

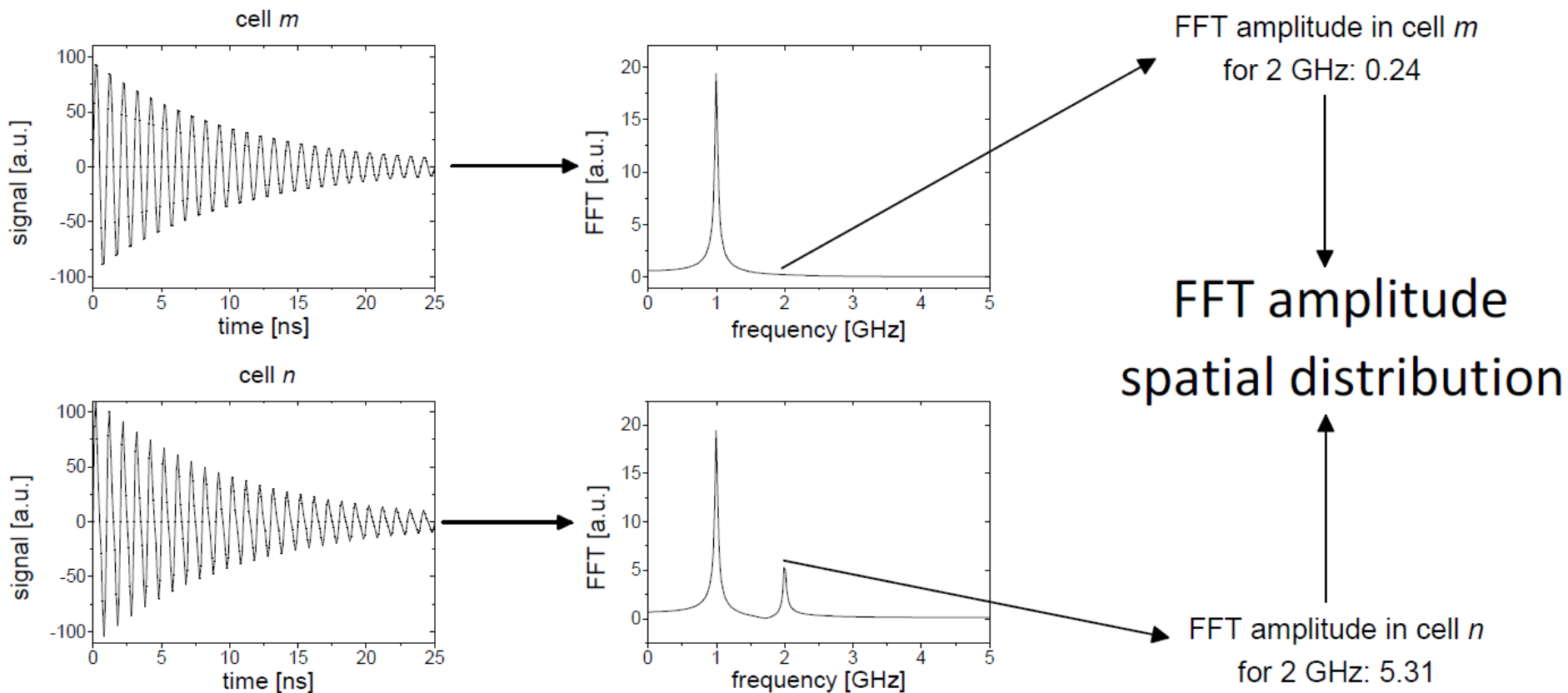


fixed current

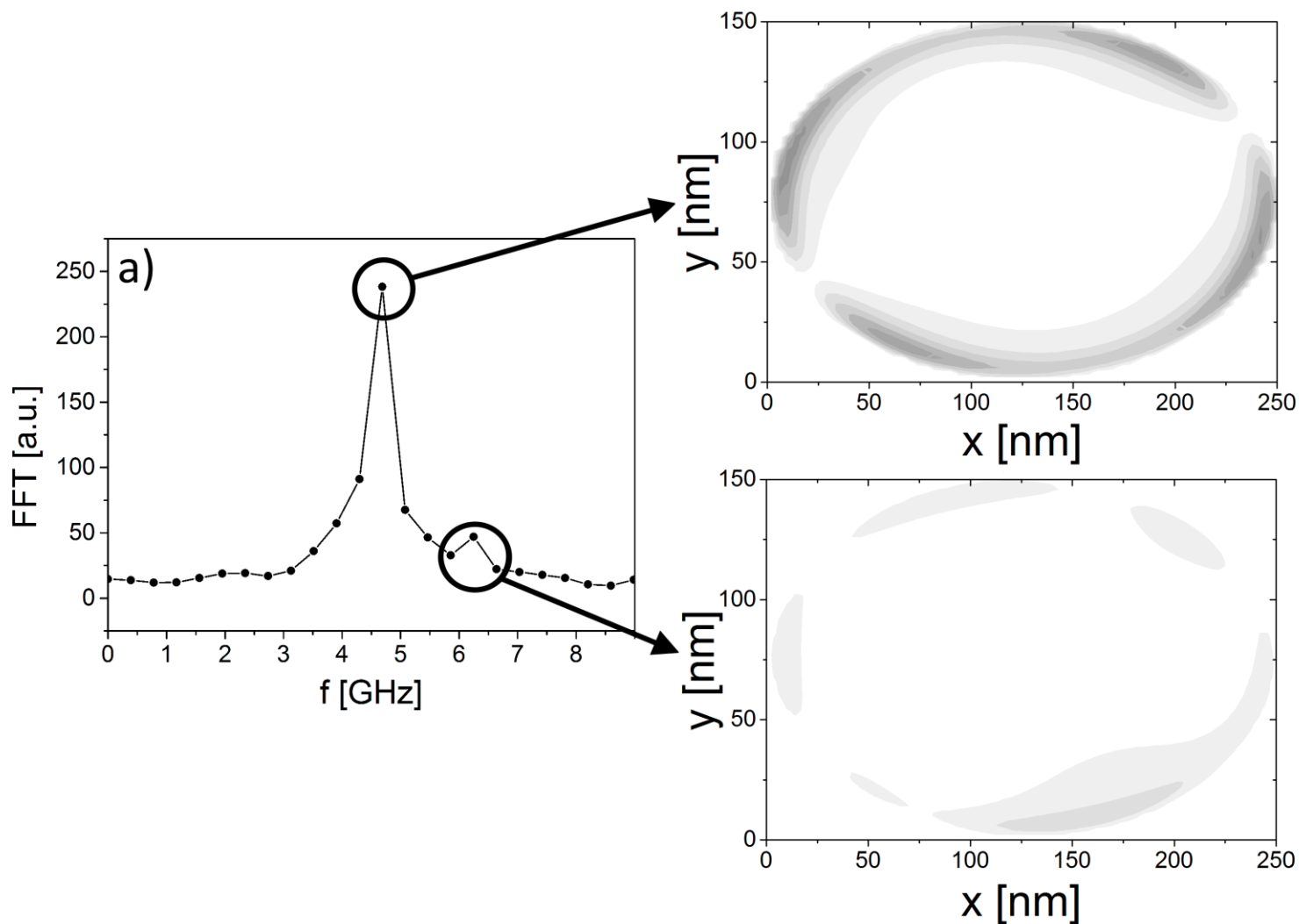


current-resistance feedback

FFT spatial distribution



Results - local analysis



Voltage-driven dynamics

MTJ with thick tunnel barrier > 1.5 nm

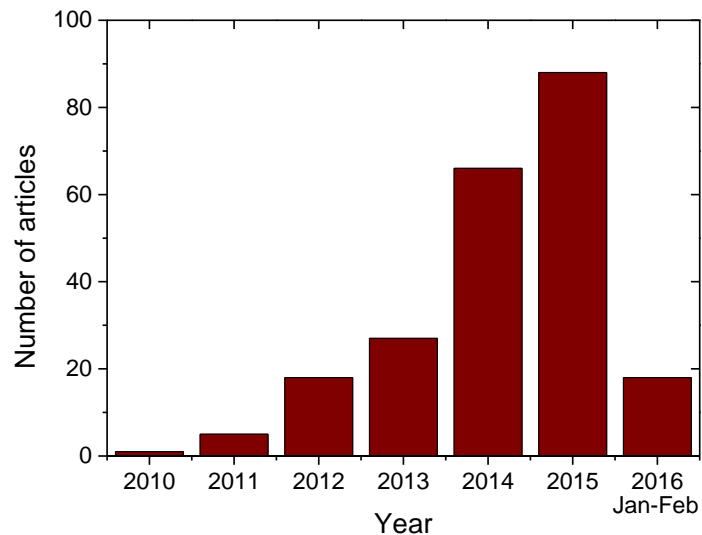


High resistance of the device

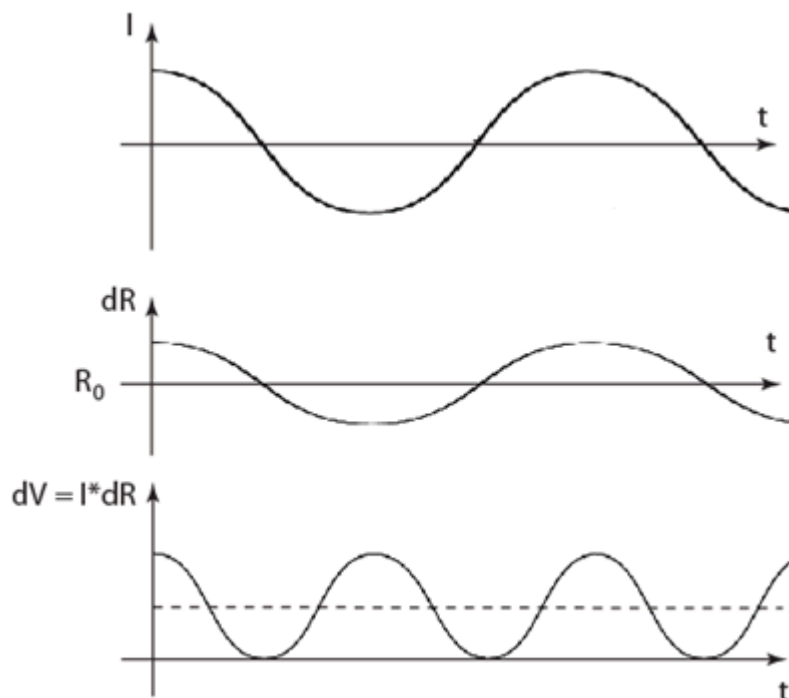


Negligible current in comparison to current-controlled devices

AC voltage control of PMA desired for low energy consumption applications



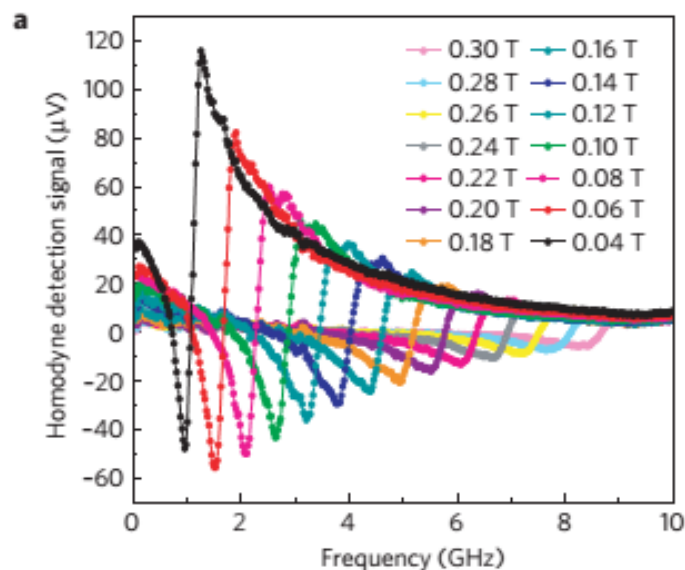
Spin-diode effect



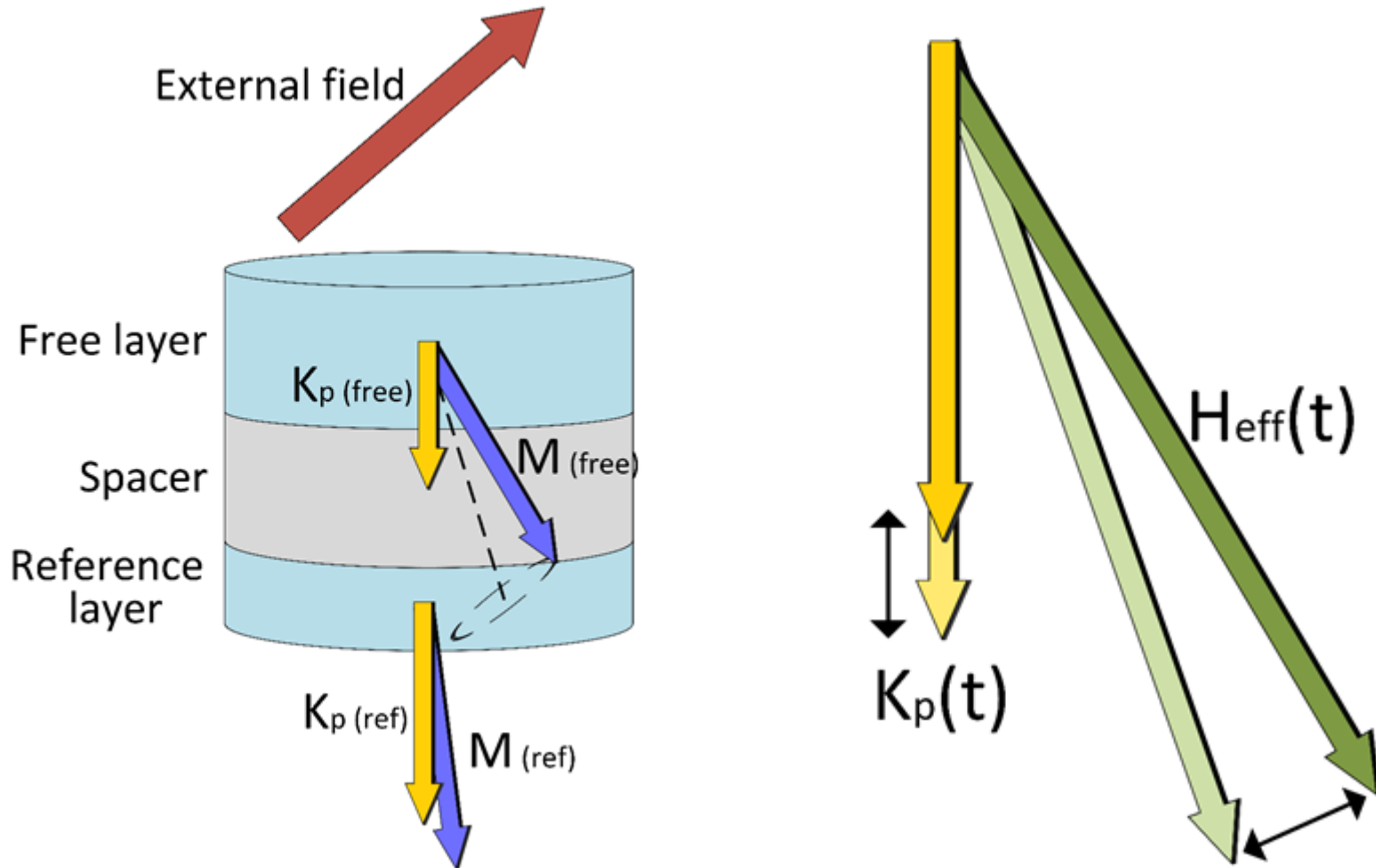
- MTJ supplied with radio frequency signal
- Precession of magnetization in phase with input signal – mixing results in a DC signal generation

Tulapurkar et al. Nature 438, 339, 2005

Nozaki et al. Nature Phys 8, 491, 2012



Voltage-induced dynamics: magnetization equilibrium manipulation

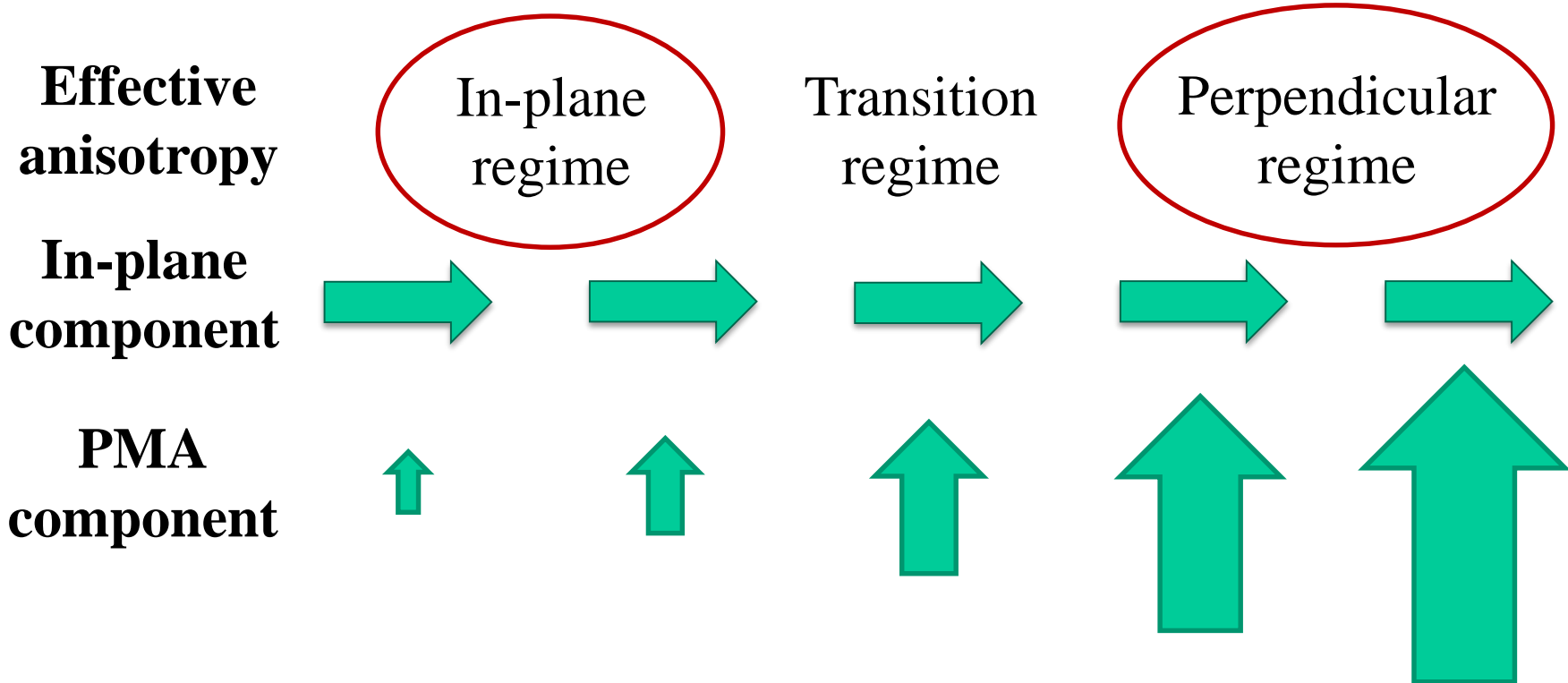


PMA vs. in-plane anisotropy

Recently reported:

Skowroński et. al., APEX 8.5 (2015): 053003

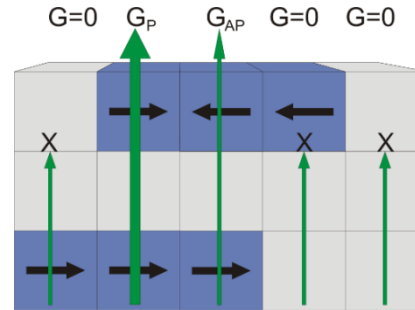
Commonly investigated
in literature



Micromagnetic approach

OOMMF-based simulations

$$\frac{d\vec{m}}{dt} = -\gamma_0 \vec{m} \times \vec{H}_{eff} + \alpha \vec{m} \times \frac{\partial \vec{m}}{\partial t}$$



*M.J. Donahue, D.G. Porter,
NIST Report (1999).
M. Frankowski et. al.
Phys. B 435, 105–108 (2014).*

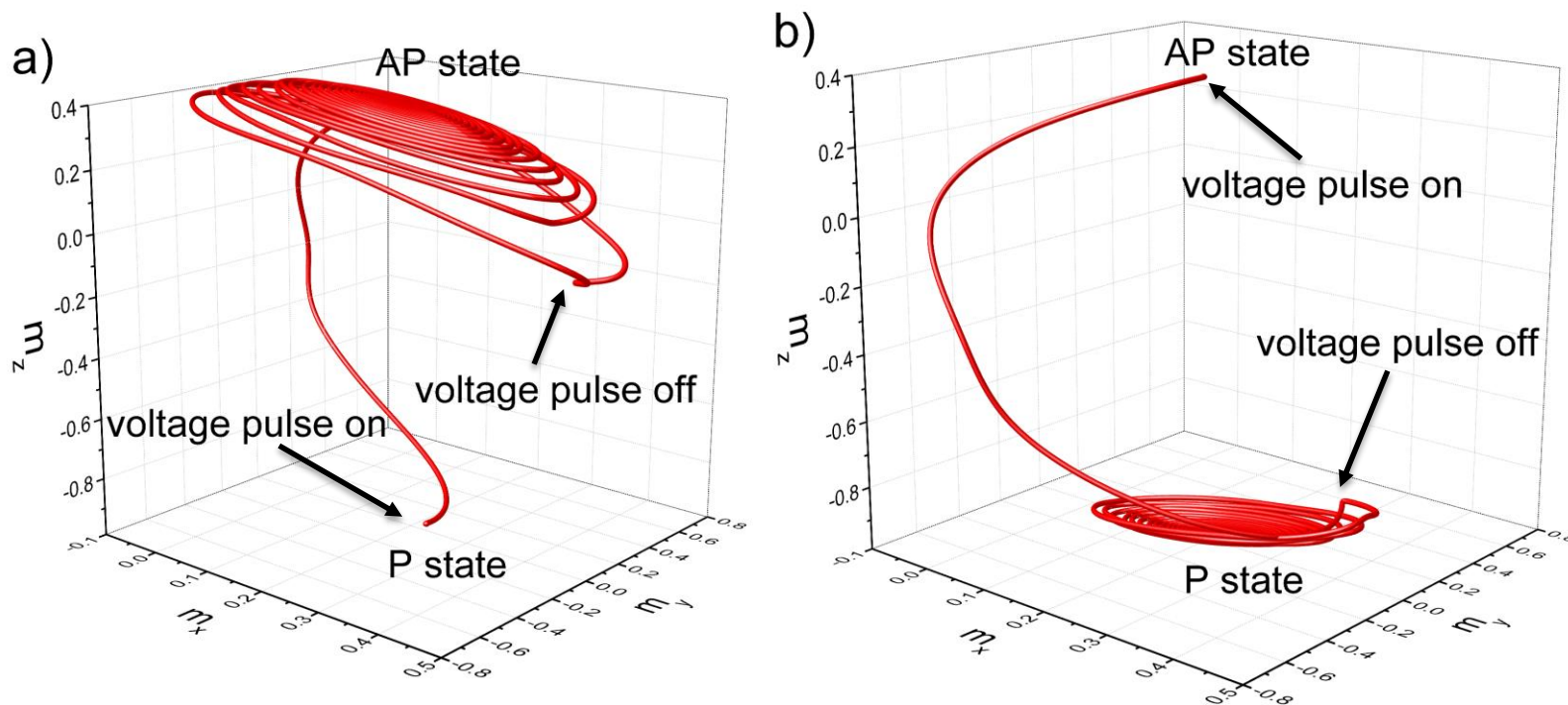
Ferromagnetic free layer: 1.4 nm (2 cells), Ms 1200 kA/m, K out-of-plane VARIABLE kJ/m³

MgO barrier: 1.4 nm (2 cells)

Ferromagnetic reference layer: 0.7 nm (1 cell), Ms 1000 kA/m, K out-of-plane 1500 kJ/m³

- Diameter 70 nm
- Intrinsic (Gilbert) damping constant 0.017
- Bias of 40 mT constant magnetic field applied angle 45° to the plane
- Alternating anisotropy contributes to the effective field H_{eff}

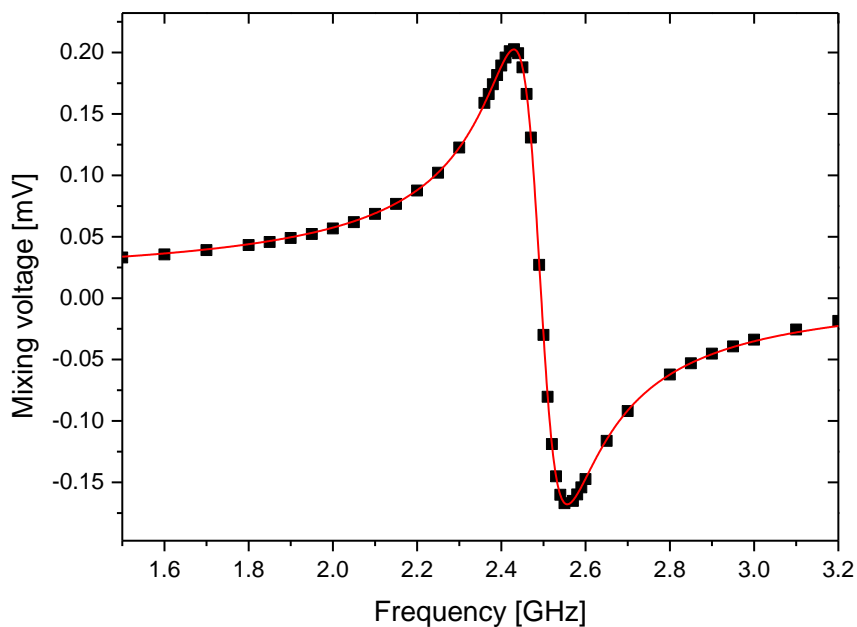
Voltage induced switching



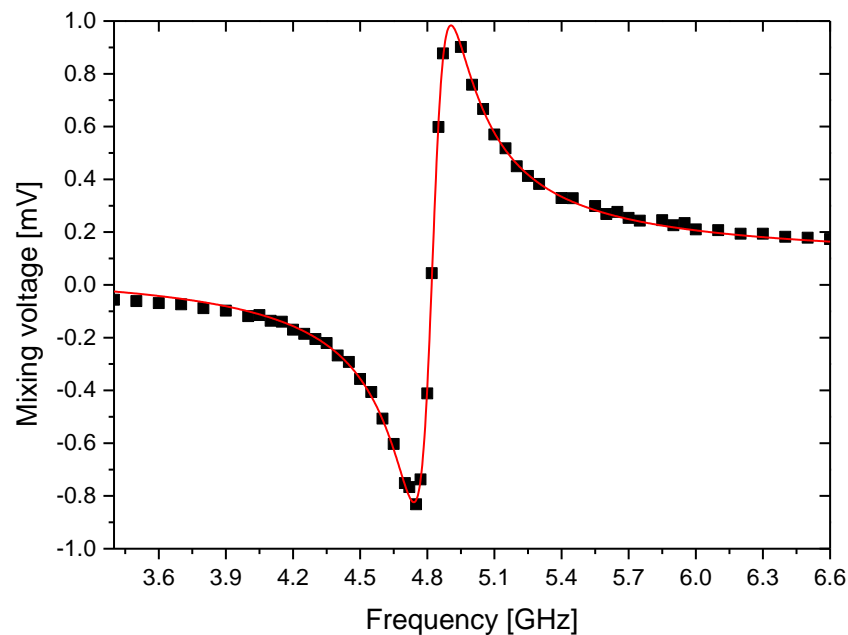
Magnetization trajectories for voltage-induced switching, single pulse (duration of 0.55 ns) and amplitude 100 kJ/m³, field bias 40 mT 45° to sample plane

Calculations of lineshape

$K_p = 675 \text{ kJ/m}^3$
 $K_{\text{effective}} : \text{in-plane}$

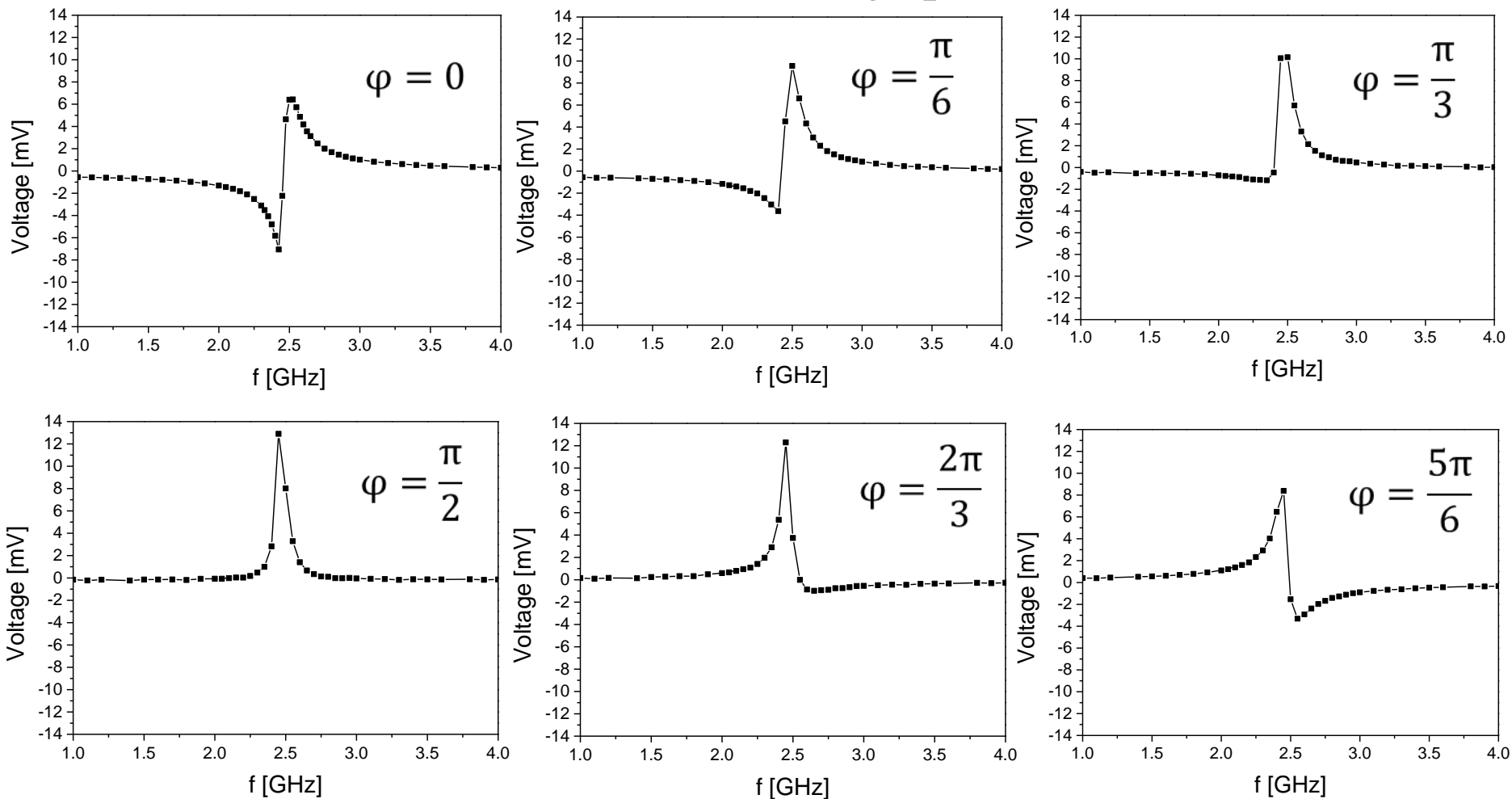


$K_p = 950 \text{ kJ/m}^3$
 $K_{\text{effective}} : \text{PMA}$



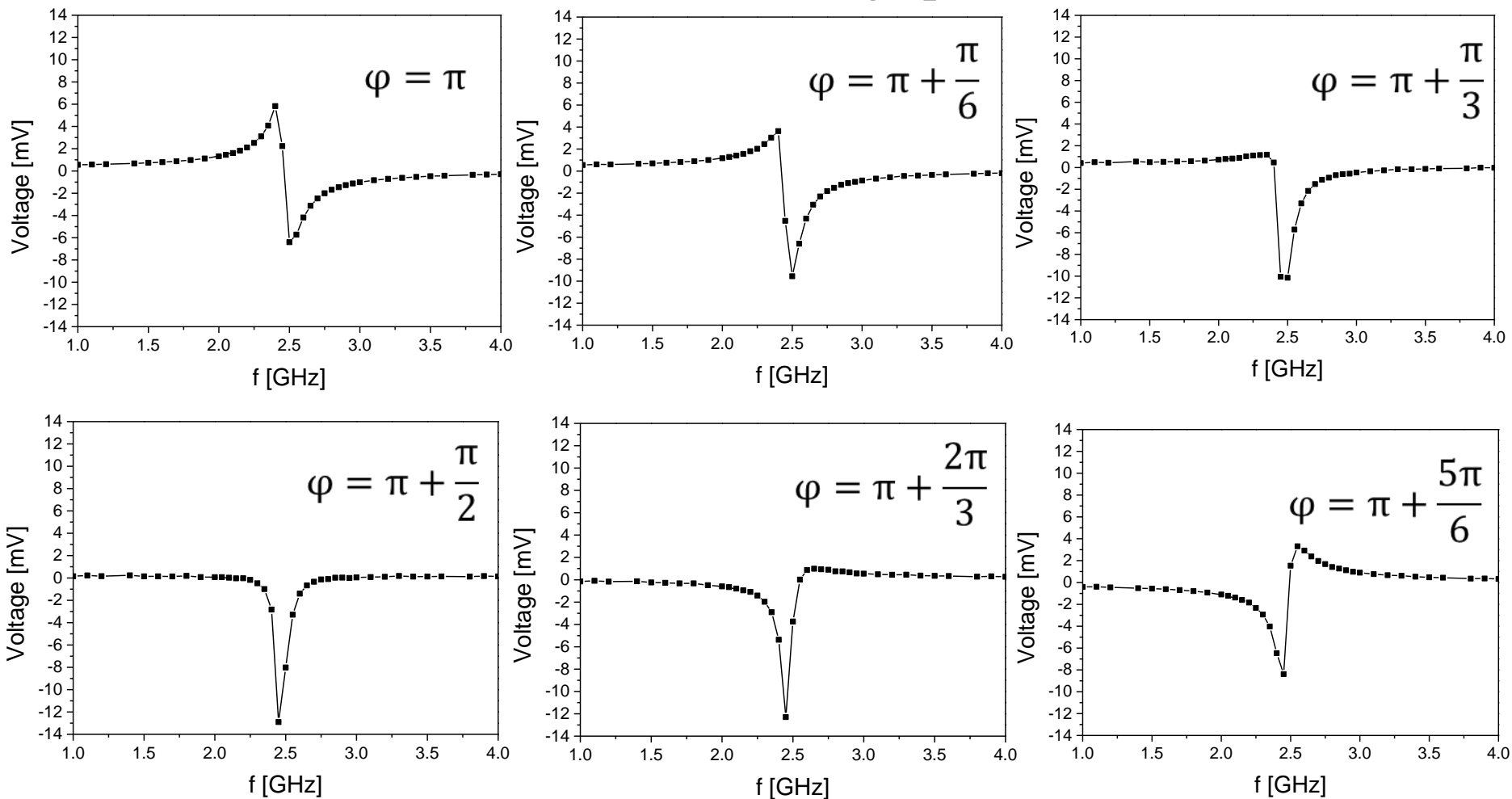
Line shape analysis

Influence of current-voltage phase shift

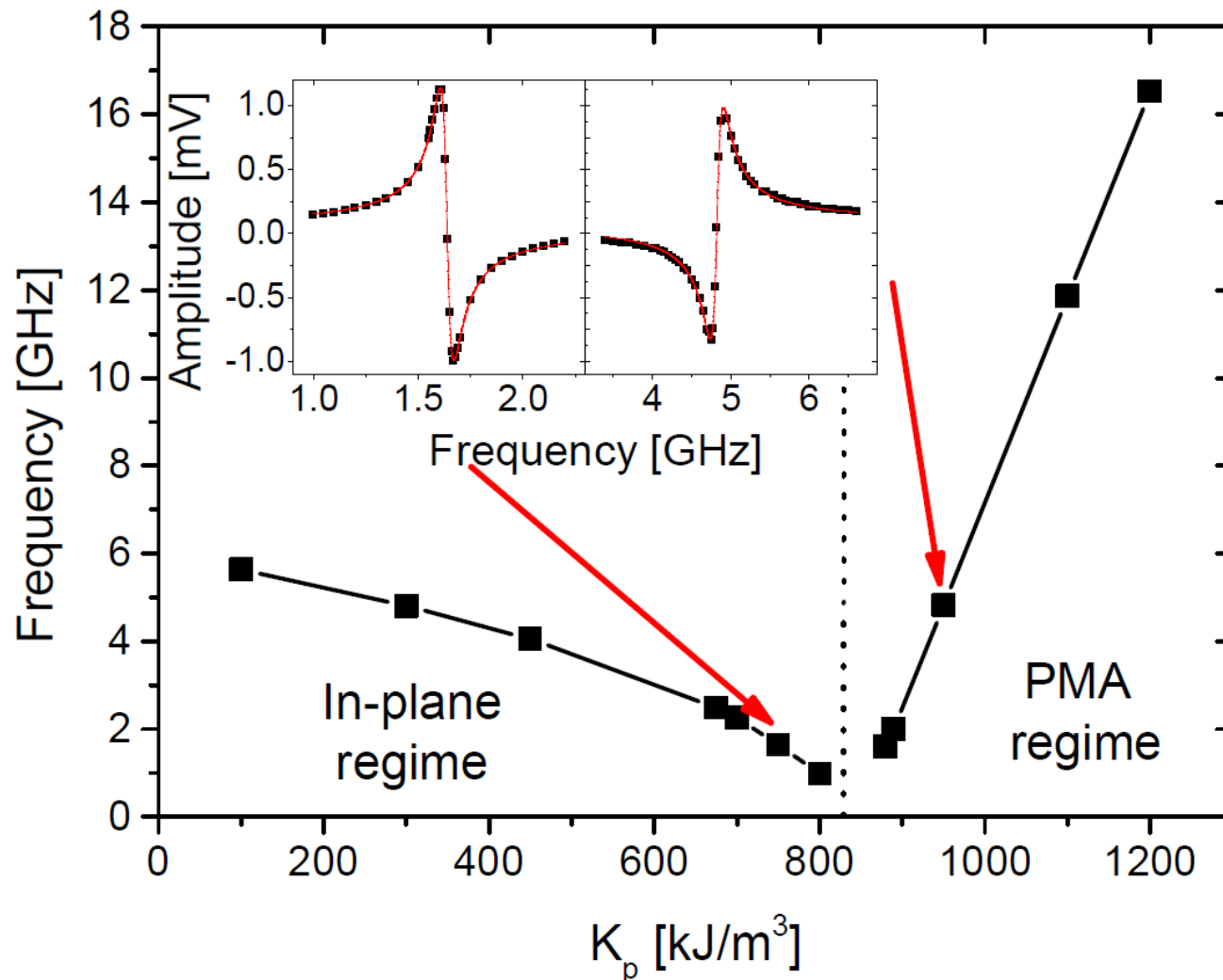


Line shape analysis

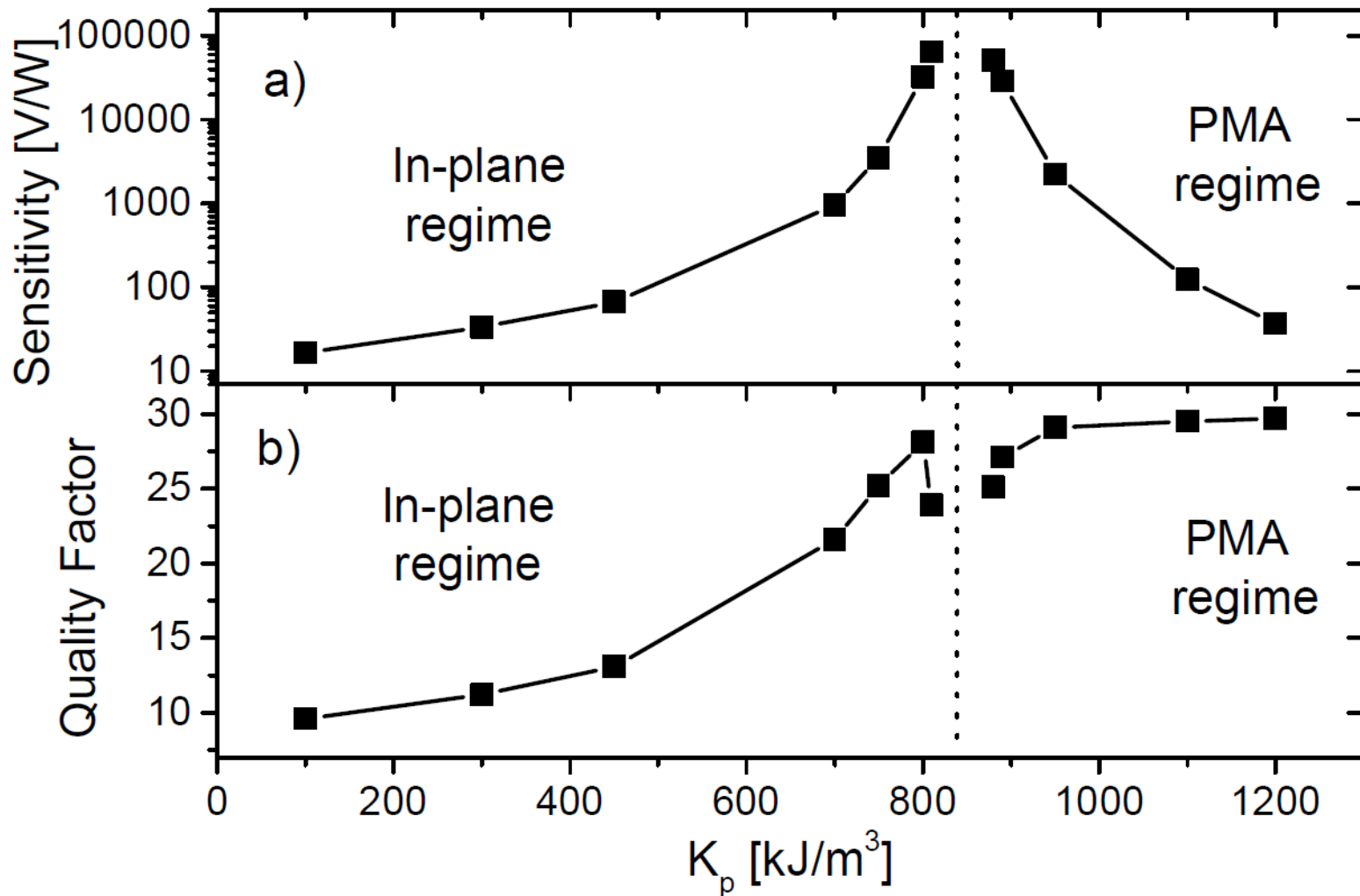
Influence of current-voltage phase shift



Frequency



Sensitivity and Q-factor



How is the effective damping calculated?

$$\alpha_{eff} = \frac{\sqrt{3}\Delta f_{pp}}{\frac{\gamma}{2\pi}(H_1+H_2)}, \text{ where}$$

$$H_1 = (H_{ext} + H_{ref})\sin(\theta_H - \theta_M) - H_d \sin^2 \theta_M$$

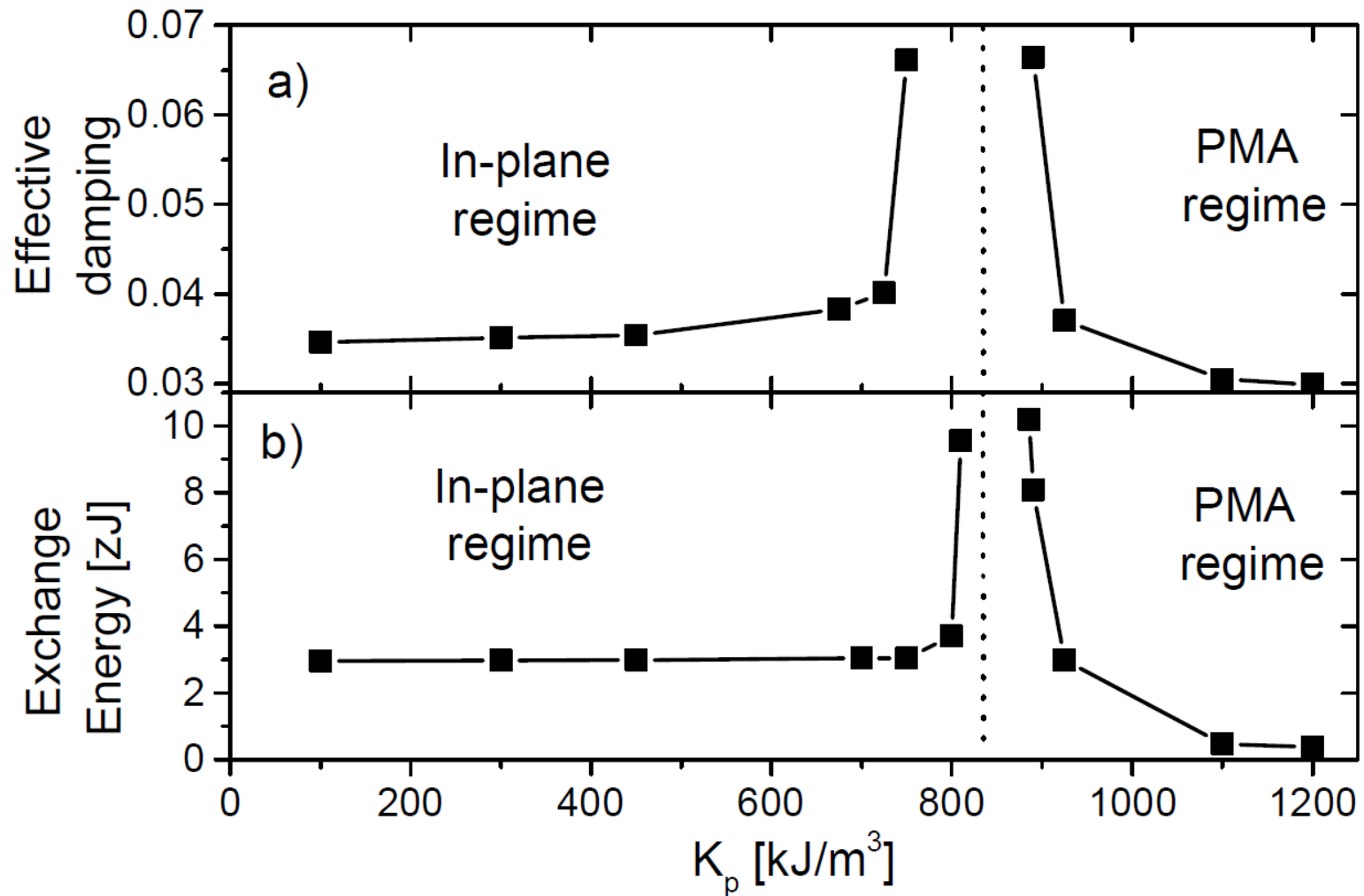
$$H_2 = (H_{ext} + H_{ref})\sin(\theta_H - \theta_M) + H_d \cos 2\theta_M$$

are fitted from the $f = \frac{\gamma}{2\pi} \sqrt{H_1 H_2}$ relationship,

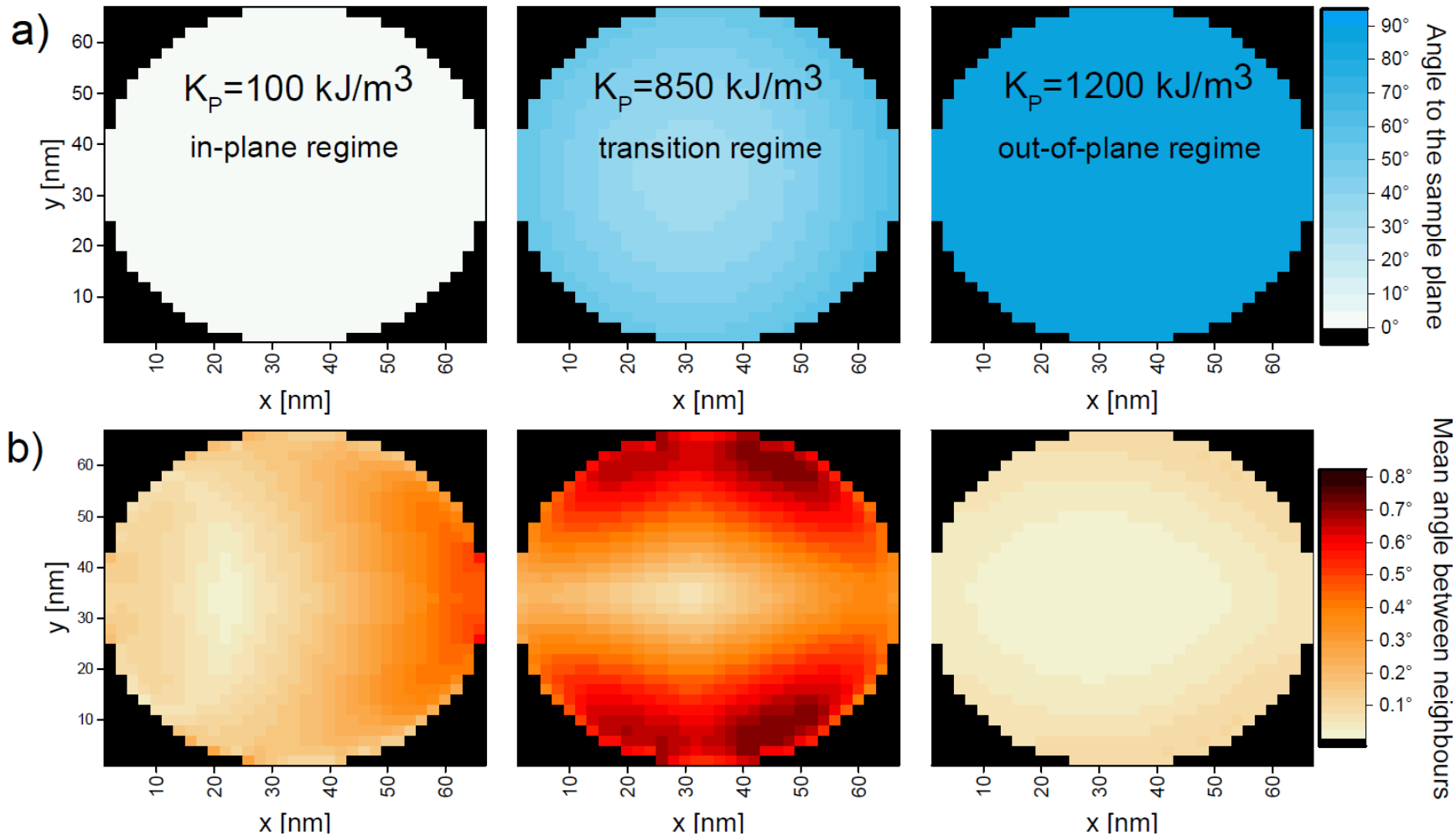
and Δf_{pp} is obtained from fitting the antisymmetric Lorentz formula to the simulated lineshape.

based on: *Nozaki, Takayuki, et al., APEX 7.7 (2014): 073002.*

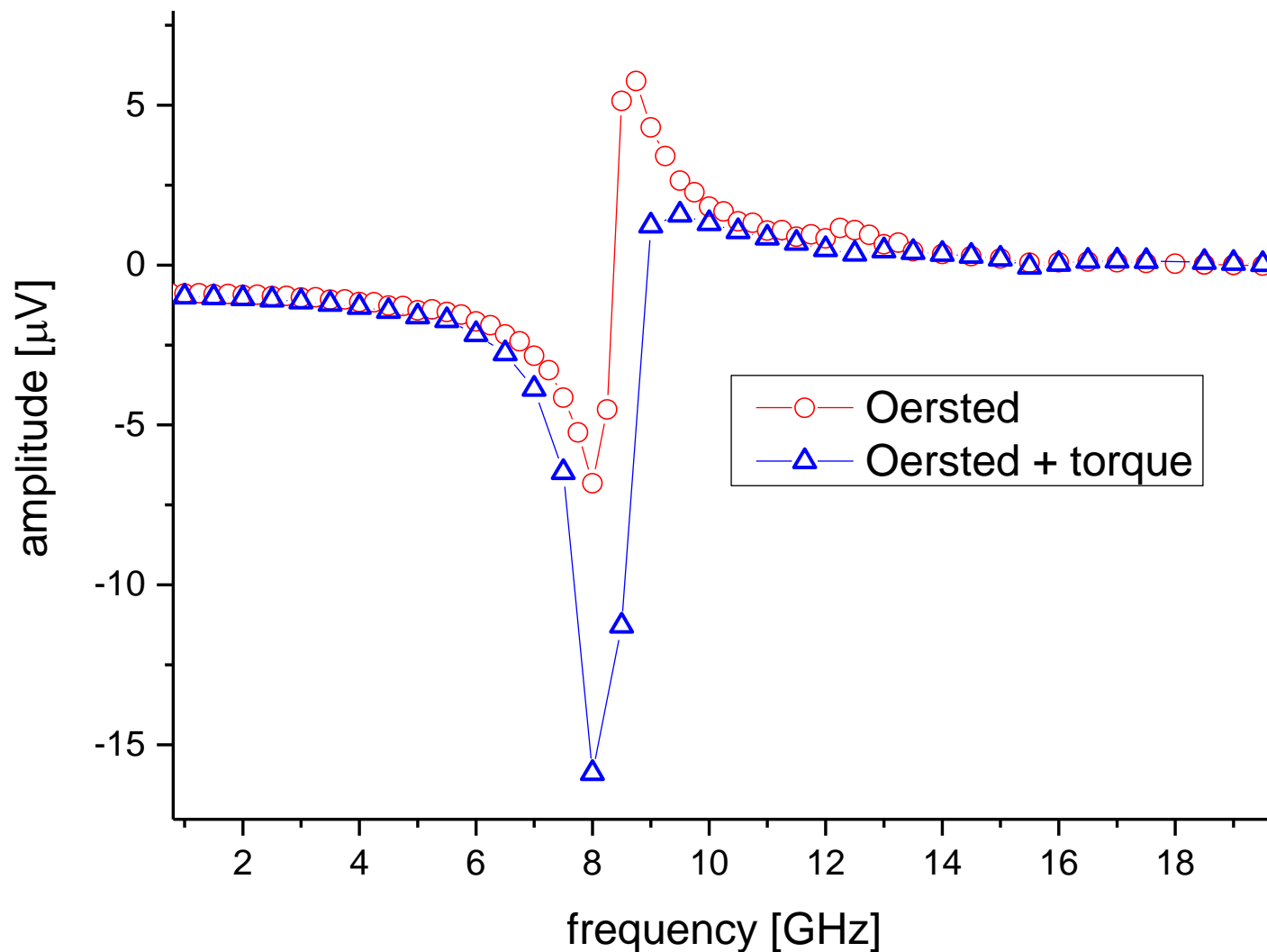
Effective damping



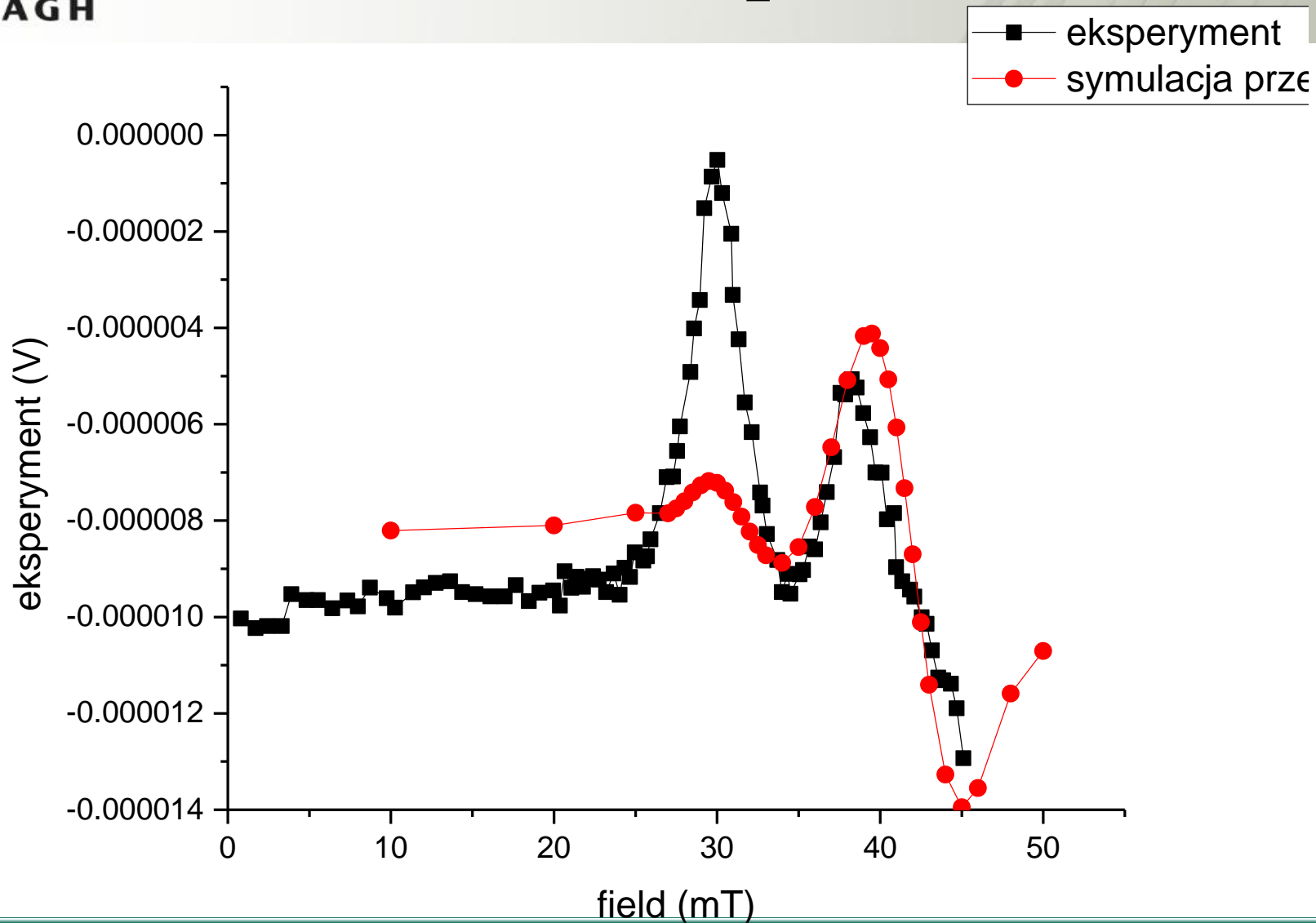
Exchange energy



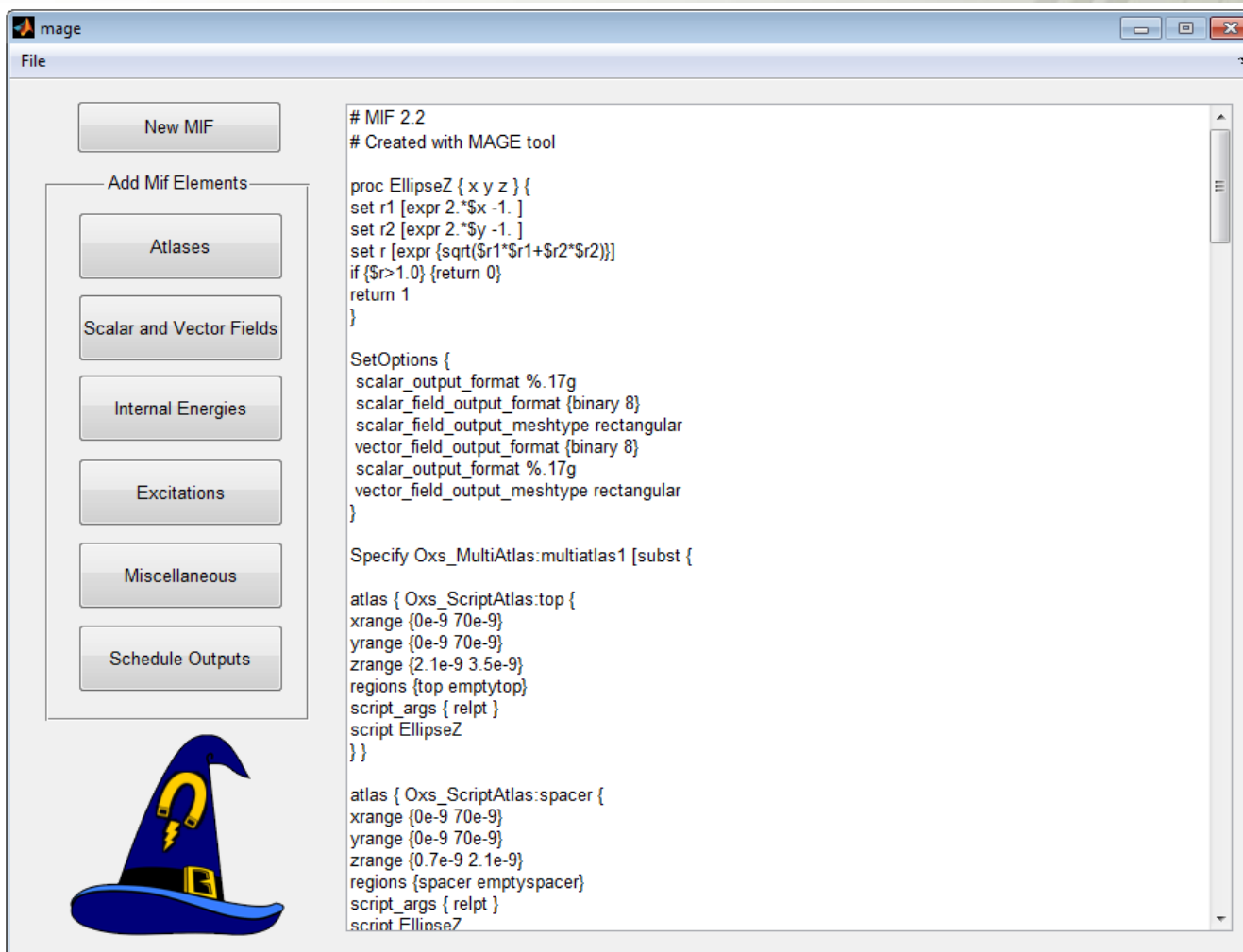
Nanowire from Lausanne

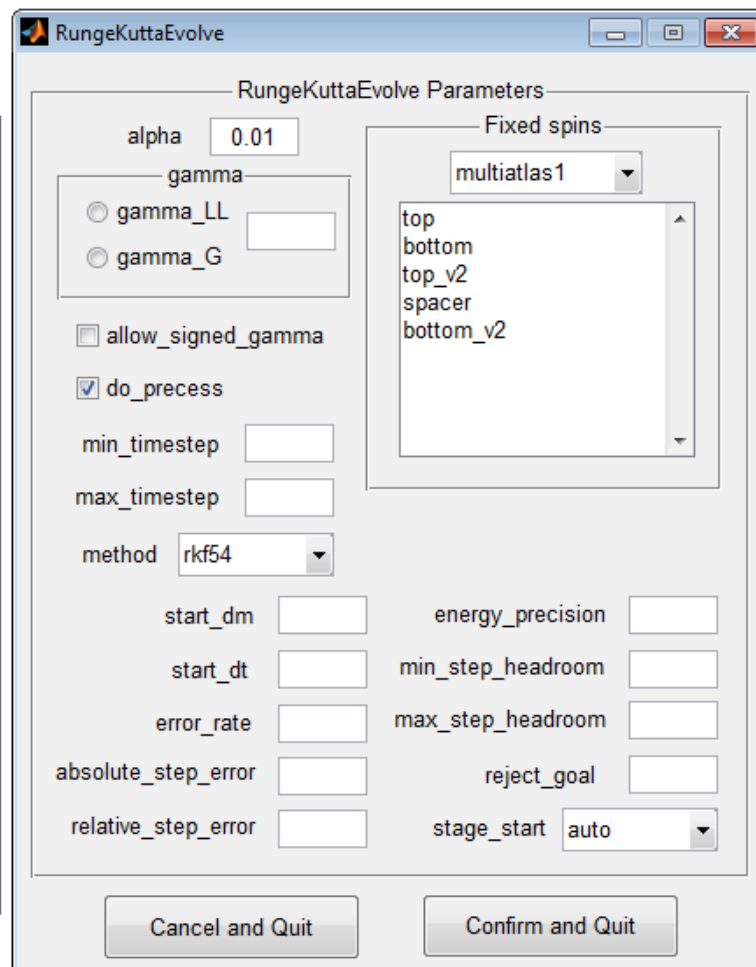
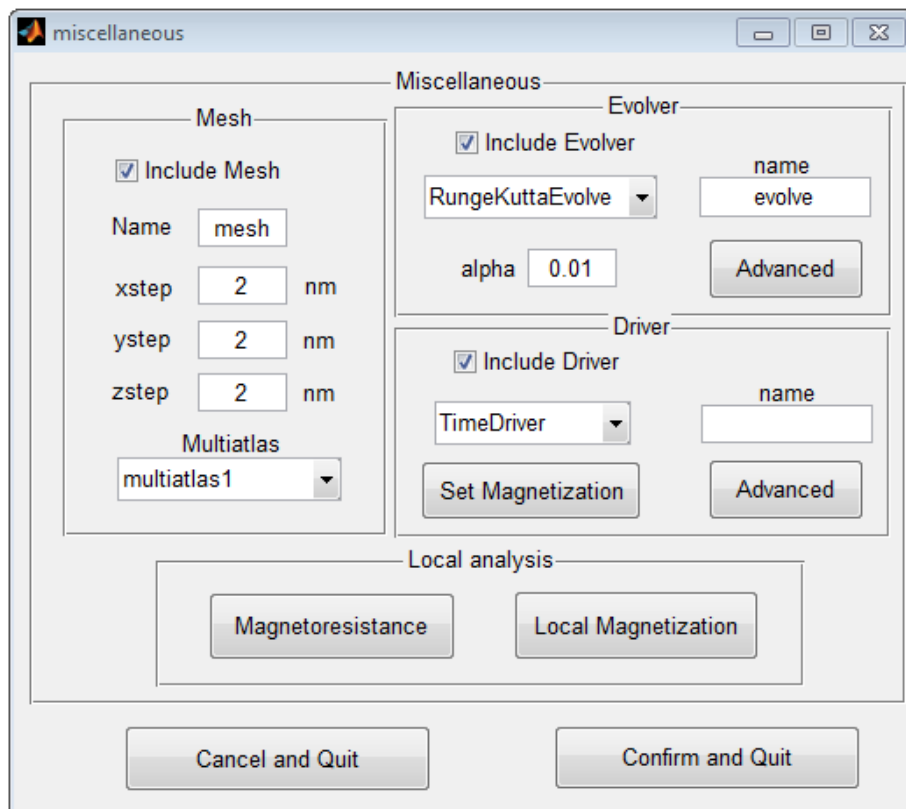


NiFe stripes



MAGE





mfile_generator

Data Analysis and m-file Generation

Select .odt File Name or Directory

Browse

Available Columns List

```

A >> MF_CurrentFlowEvolver::Total energy
B >> MF_CurrentFlowEvolver::Energy calc
C >> MF_X_MagCut:ref:area mx
D >> MF_X_MagCut:top:area mx
E >> MF_CurrentFlowEvolver::Max dm/dt
F >> MF_CurrentFlowEvolver::dE/dt
G >> MF_CurrentFlowEvolver::Delta E
H >> MF_CurrentFlowEvolver::total resist
I >> MF_CurrentFlowEvolver::Signal
J >> Oxs_Exchange6Ngrbr::Energy
K >> Oxs_Exchange6Ngrbr::Max Spin Ang
L >> Oxs_Exchange6Ngrbr::Stage Max Spin A
M >> Oxs_Exchange6Ngrbr::Run Max Spin Ang
N >> Oxs_TwoSurfaceExchange:FF:Energy
O >> Oxs_TwoSurfaceExchange:AF:Energy
P >> MF_X_MagCut:ref:Energy
Q >> MF_X_MagCut:top:Energy
R >> Oxs_FixedZeeman:Bias:Energy
S >> Oxs_UniaxialAnisotropy::Energy
T >> Oxs_UZeeman::Energy
U >> Oxs_UZeeman::B
V >> Oxs_UZeeman::Bx
W >> Oxs_UZeeman::By
X >> Oxs_UZeeman::Bz
Y >> Oxs_Demag::Energy
Z >> Oxs_TimeDriver::Iteration
AA >> Oxs_TimeDriver::Stage iteration
AB >> Oxs_TimeDriver::Stage
AC >> Oxs_TimeDriver::mx
  
```

Delete Selected Column From List

Analysis Task Parameters

Evaluate Matlab Operation on Columns:

Set evaluation result as y Set evaluation result as x

Set selected column as y Set selected column as x

H as a function of M

Analysis Type

None

FFT

Wavelet

Results Handling

Save data to file

Show figure

Save figure

Offset 0 ns Frequency Limit 10000 GHz

Range 30 ns Wavelet Type

Repeat Each 0 ns Wavelet Scale

Task Name

Task4

Add this task

Output Directory

Browse

C:\Users\Marek\Desktop\Backup_2016_04_06\MFile_2015_12_16R

Use also for data and figure outputs

Analysis Tasks to Perform

Task1

Task2

Task3


Delete Selected Tasks

Actions to Perform

Save mfile

Run mfile

Save and run mfile



Cancel and Quit Execute and Quit

Summary

- Local effect taken into account
- Voltage induced effect modelled
- Lineshape for different cases reproduced
- Realistic experiment-like approach for lineshape requires micromagnetic simulations (because of disorder)



Thank you for your attention.