

Temperature study of spin torque efficiencies in Ta/CoFeB/MgO with perpendicular magnetic anisotropy



Monika Cecot¹, Ł. Karwacki², W. Skowroński¹, J. Kanak¹,
J. Wrona³, A. Żywczak⁴, J. Barnaś^{2,5} and T. Stobiecki¹

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¹ AGH University of Science and Technology, Department of Electronics, Kraków, Poland

² Faculty of Physics, Adam Mickiewicz University, Poznań, Poland

³ Singulus Technologies AG, Hanauer Landstrasse 103, 63796 Kahl am Main, Germany

⁴ AGH University of Science and Technology, Academic Centre of Materials and Nanotechnology, Kraków, Poland

⁵ Institute of Molecular Physics, Academy of Sciences, Poznań, Poland

MOTIVATION

Comprehensive approach to spin transfer torque via spin Hall effect in Ta/CoFeB requires precise characterization of Ta microstructure, examination of Ta/CoFeB interface and Ta layer influence on magnetic properties, which leads to extension of spin diffusion model:

$$\text{Effective spin Hall angle } \Theta_{SH} \equiv \Theta_{SH}(\theta_{SH}^N, \theta_{SH}^I, \theta_{AH}^F) \quad \begin{array}{l} \text{anomalous Hall angle of the ferromagnetic metal} \\ \text{spin Hall angle of the nonmagnetic metal} \end{array}$$

$$+ \quad \begin{array}{l} \text{spin Hall angle of the interfacial layer} \end{array}$$

SAMPLES CHARACTERIZATION

d_N Ta/0.9 Co₄₀Fe₄₀B₂₀/5 MgO/1 Ta $d_N = 5, 10, 15$ [nm]

Sputtering deposition method, 20 min post-annealing in 330°

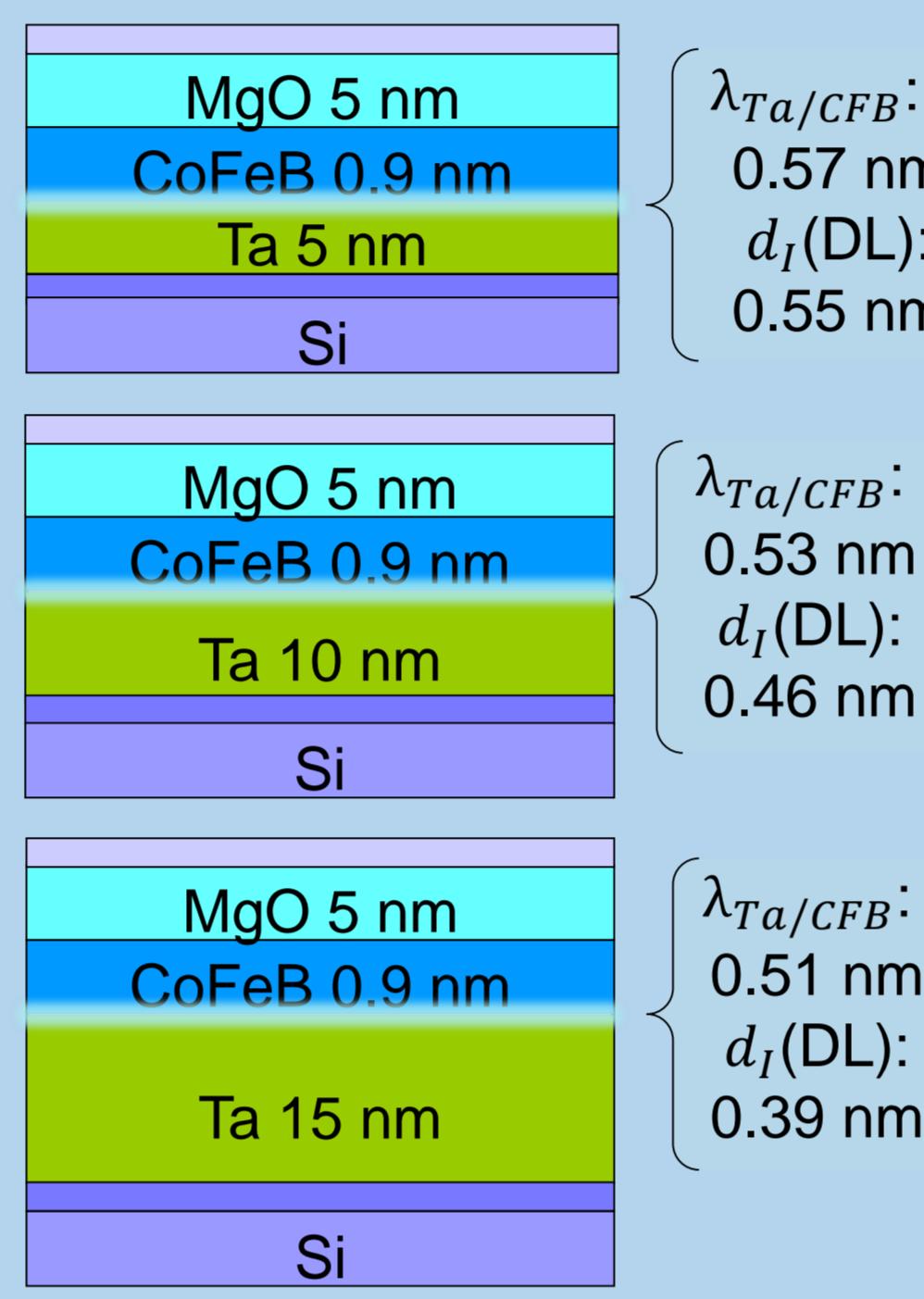
XRD: amorphous 5 nm Ta, β-phase in 10 nm and 15 nm of Ta

XRR: rough Ta/CoFeB interface $\lambda_{Ta/CFB} \sim 0.57 - 0.51$ nm

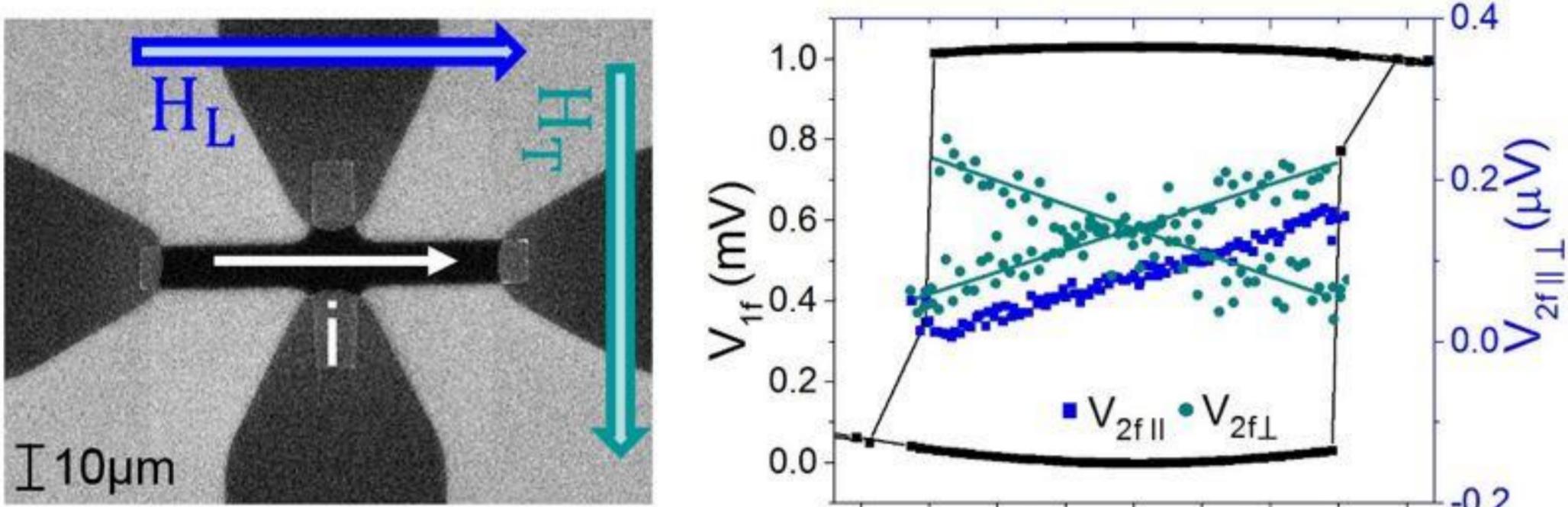
The highest resistivity for amorphous 5 nm Ta

Magnetic properties: Perpendicular magnetic anisotropy, Bloch low temperature dependence of spontaneous magnetization M, characteristic minimum of saturation magnetization M_S for $d_N \approx 3$ nm

Significant magnetic dead layer (DL) thickness $\approx 0.55 - 0.39$ nm

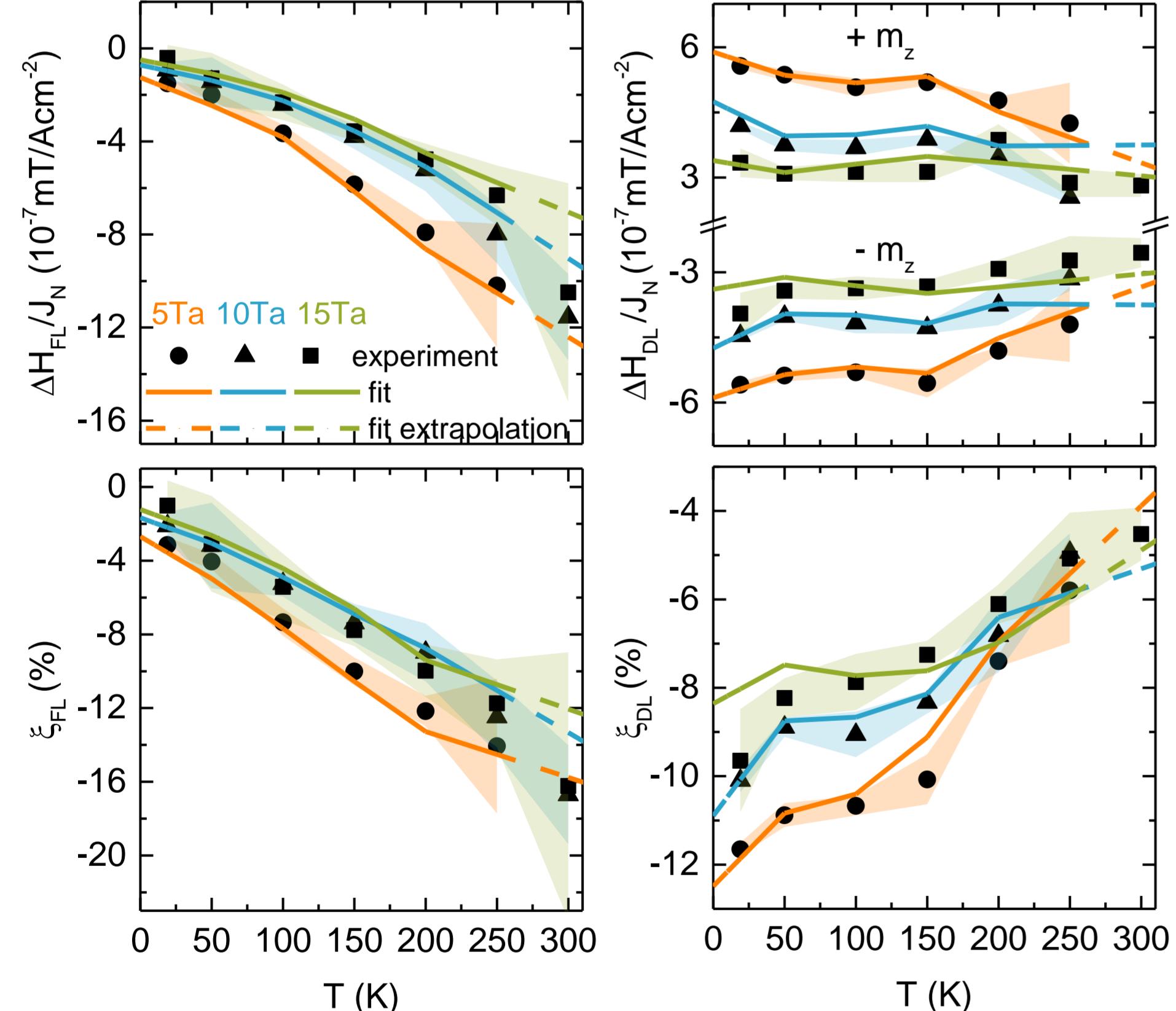


HARMONIC HALL VOLTAGE MEASUREMENTS



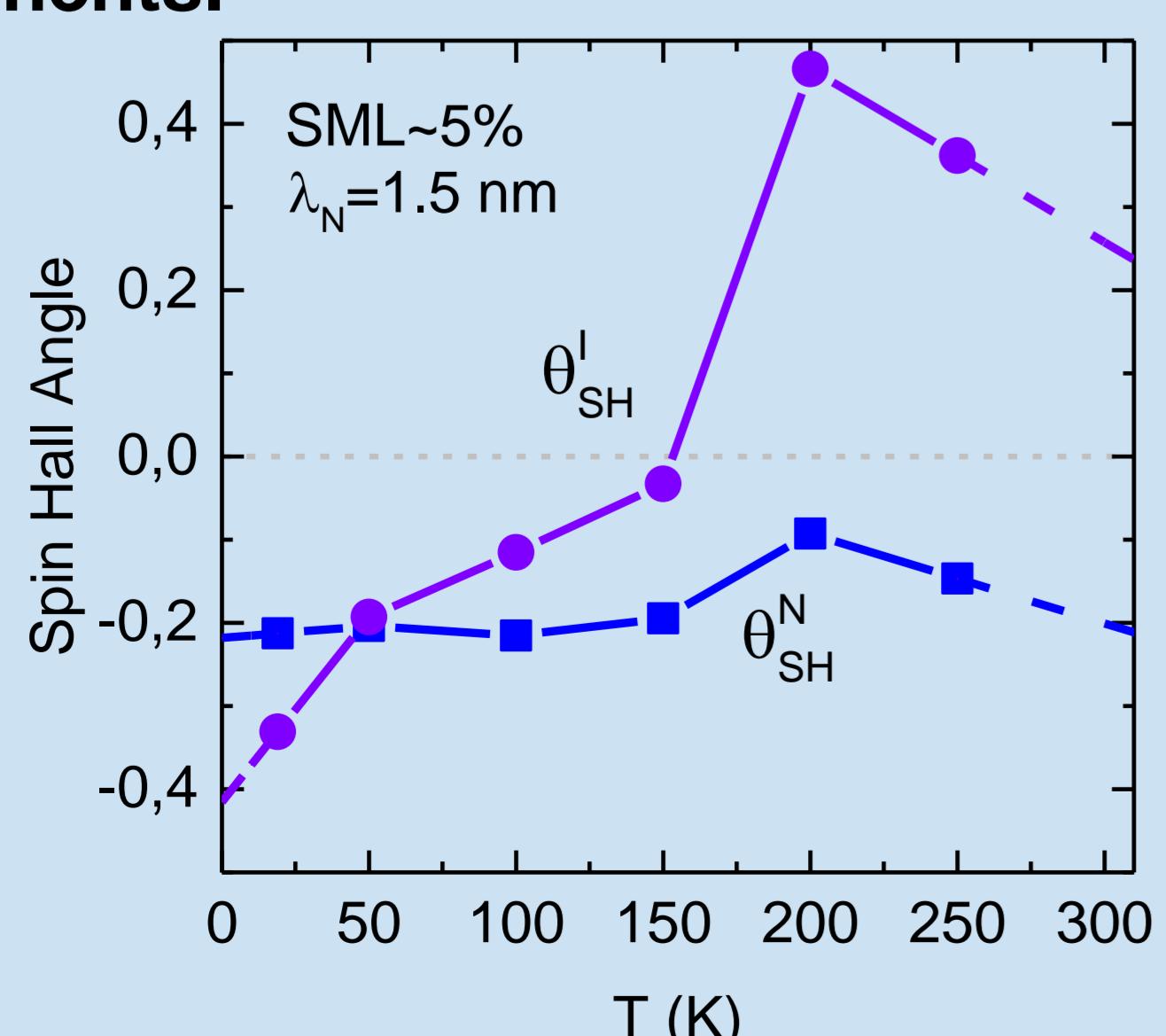
J. Sinha et al. APL **102**, 242405 (2013) Ta(0-10 nm)/Co₂₀Fe₆₀B₂₀ (1 nm)
J. Kim et al. PRB **89**, 174424 (2014) Ta(1.3 nm)/Co₂₀Fe₆₀B₂₀ (1 nm)
X. Qiu et al. Scientific Reports **4**, 4491 (2014) Ta(2 nm)/Co₄₀Fe₄₀B₂₀ (0.8 nm)
C. Avci et al. PRB **89**, 214419 (2014) Ta(3 nm)/Co₆₀Fe₄₀B₂₀ (0.9 nm)
L. Liu et al. (after C. Avci) Ta(6 nm)/CoFeB(1 nm)
C. Zhang et al. Appl. Phys. Lett. **103**, 262407 (2013) Ta(2.5 nm)/CoFeB(1 nm)

RESULTS AND FITTING



CONCLUSION

Extended spin diffusion model allows to obtain the temperature dependences of θ_{SH}^N and θ_{SH}^I components.



SPIN TORQUE EFFICIENCIES

Longitudinal ((anti)damping-like DL) and transverse (field-like FL) components of spin-orbit torque-induced effective field:

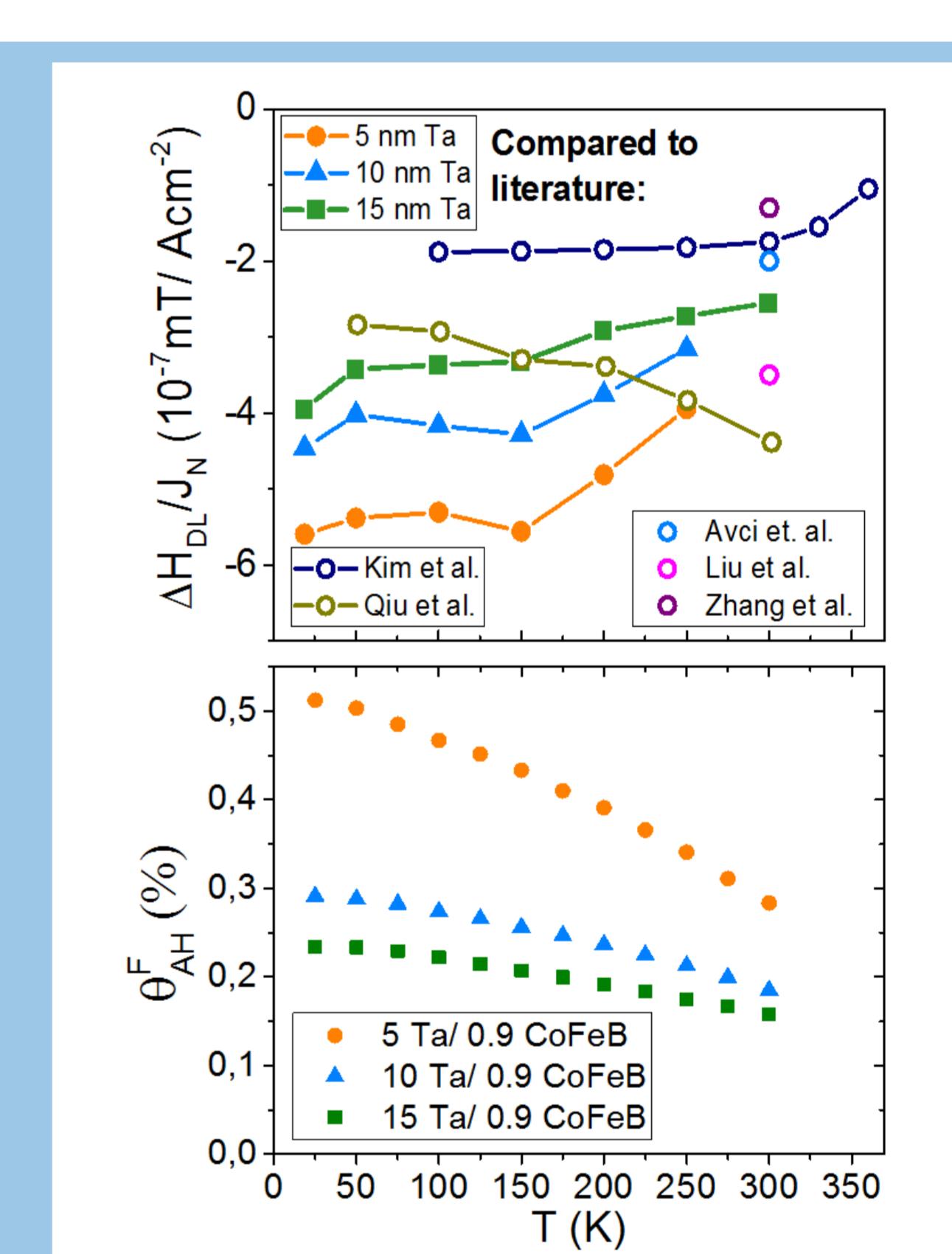
$$\Delta H_{DL, FL} = -\frac{\partial V_{2f}}{\partial H_{DL, FL}} \quad \frac{\Delta R_{PHE}}{\Delta R_{AHE}} < 3 \%$$

(Anti)damping-like and field-like torque efficiencies:

$$\xi_{DL, FL} = \frac{\Delta H_{DL, FL} \cdot 2e\mu_0 M_S d_F}{J_N \cdot \hbar}$$

ANOMALOUS HALL EFFECT

Anomalous Hall angle as a ratio of AH resistivity and longitudinal resistivity : $\theta_{AH}^F = \frac{\rho_{AHE}}{\rho_{xx}} < 0.5 \%$



EXTENTION TO SPIN DIFFUSION MODEL

Assumptions:

- SML = 5 %
- $\lambda_N = 1.5$ nm
- $\lambda_N, SML \sim \text{const (T)}$

spin diffusion length in Ta

Spin Memory Loss:

$$\text{SML} = \left(1 - \exp\left(\frac{d_I}{\lambda_I}\right)\right) \cdot 100\% \quad \begin{array}{l} \text{interface thickness} \\ \text{spin diffusion length} \end{array}$$

Drift diffusion equations for spin currents in the nonmagnetic metal (N) and in the interface layer (I):

$$j_s^N(z) = -\frac{1}{2\epsilon\rho_N} \frac{\partial \mu_s^N(z)}{\partial z} - \theta_{SH}^N J_N \hat{y}$$

$$j_s^I(z) = -\frac{1}{2\epsilon\rho_I} \frac{\partial \mu_s^I(z)}{\partial z} - \theta_{SH}^I J_N \hat{y}$$

$$\theta_{SH}^I = \alpha \cdot \theta_{SH}^N$$

(Anti)damping-like component:

$$\Delta H_{DL} = \mp \frac{\hbar}{2e} \frac{J_N}{\mu_0 M_S d_F} \theta_{SH}^N \frac{\tanh\left(\frac{d_N}{2\lambda_N}\right) \operatorname{csch}\left(\frac{d_I}{\lambda_I}\right) + \alpha [\tanh\left(\frac{d_I}{2\lambda_I}\right) \coth\left(\frac{d_N}{\lambda_N}\right) - \frac{\rho_I \lambda_I}{\rho_N \lambda_N}] g_r (1+g_r) + g_i^2}{\coth\left(\frac{d_N}{\lambda_N}\right) \coth\left(\frac{d_I}{\lambda_I}\right) + \frac{\rho_I \lambda_I}{\rho_N \lambda_N}} \quad \begin{array}{l} +m_z \\ -m_z \end{array}$$

Field-like component:

$$\Delta H_{FL} = -\frac{\hbar}{2e} \frac{J_N}{\mu_0 M_S d_F} \theta_{SH}^N \frac{\tanh\left(\frac{d_N}{2\lambda_N}\right) \operatorname{csch}\left(\frac{d_I}{\lambda_I}\right) + \alpha [\tanh\left(\frac{d_I}{2\lambda_I}\right) \coth\left(\frac{d_N}{\lambda_N}\right) - \frac{\rho_I \lambda_I}{\rho_N \lambda_N}] g_i}{\coth\left(\frac{d_N}{\lambda_N}\right) \coth\left(\frac{d_I}{\lambda_I}\right) + \frac{\rho_I \lambda_I}{\rho_N \lambda_N}} \quad \begin{array}{l} g_i \\ (1+g_r)^2 + g_i^2 \end{array}$$

Real and imaginary parts of spin-mixing conductance

$$G_r(T) \sim \text{const}, \quad g_{r,i} = 2G_{r,i} \frac{\coth\left(\frac{d_N}{2\lambda_N}\right) \coth\left(\frac{d_I}{\lambda_I}\right) + \frac{\rho_I \lambda_I}{\rho_N \lambda_N}}{\frac{1}{\rho_I \lambda_I} \coth\left(\frac{d_N}{\lambda_N}\right) + \frac{1}{\rho_N \lambda_N} \coth\left(\frac{d_I}{\lambda_I}\right)}$$